

1. 30°N (from his observation of motion of stars)

2. Obliquity = 0° (Equal days and nights)

3. Z_{un} follows the celestial equator.

4. $e = 0$. Constant solar day.

5. $P_{\text{sid}} = P_{\text{sol}} \left(1 + \frac{P_{\text{sol}}}{P_E}\right)^{-1}$

Plug in $P_{\text{sol}} = 10.101 \text{ zour}$, $P_E = 1000 \text{ zour}$

get $P_{\text{sid}} = 10.000 \text{ zour}$

6. Figure 2.1 in book.

$$C = A / \cos(89.42704^\circ)$$

$$C = 100.00 d_{\text{zoon}} \quad \text{so} \quad 100.00 \text{ times further.}$$

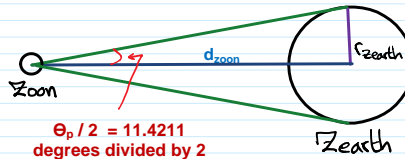
7.
$$\frac{r_{\text{zoon}}}{r_{\text{zun}}} = \frac{\theta_{\text{zoon}}}{\theta_{\text{zun}}} \frac{d_{\text{zoon}}}{d_{\text{zun}}}$$

$$= \left(\frac{1}{10}\right) \left(\frac{1}{100}\right)$$

$$v_{\text{zun}} = 1000.0 r_{\text{zoon}} \Rightarrow 1000.0 \text{ times bigger}$$

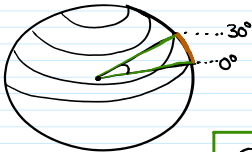
8. $\tan\left(\frac{\theta_p}{2}\right) = \frac{v_{\text{earth}}}{d_{\text{zoon}}}$

$$d_{\text{zoon}} = 10.000 v_{\text{earth}}$$



9. You walk from 30°N to Equator 0° .

arc = angle \times radius
 has to be in radians



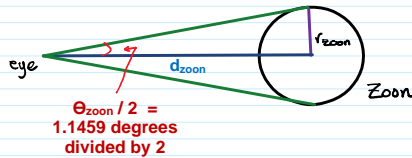
$$523.599 = 30^\circ \frac{\pi}{180^\circ} \cdot r_{\text{earth}}$$

$$\text{Solve } r_{\text{earth}} = 1000.00 \text{ kilometers.}$$

10. $d_{\text{zoon}} = 10 r_{\text{earth}} = 10,000 \text{ kilometers}$

$$\tan\left(\frac{\theta_{\text{zoon}}}{2}\right) = \frac{r_{\text{zoon}}}{d_{\text{zoon}}} \Rightarrow r_{\text{zoon}} = d_{\text{zoon}} \tan\left(\frac{\theta_{\text{zoon}}}{2}\right)$$

$$r_{\text{zoon}} = 100.00 \text{ kilometers}$$



11. $r_{\text{Zun}} = 1000 r_{\text{Zearth}}$ from (7)
 $r_{\text{Zun}} = 100,000 \text{ kilometers}$

12. $1 \text{ ZAU} = \text{distance between Zearth and Zun.}$
 $d_{\text{Zun}} = 100 d_{\text{Zearth}} = 100,000 \text{ kilometers}$
 $\text{So } 1 \text{ ZAU} = 100,000 \text{ kilometers}$

13. $\frac{r_{\text{Zearth}}}{r_{\text{Zsun}}} = 10 \quad \frac{r_{\text{Zun}}}{r_{\text{Zearth}}} = 100$

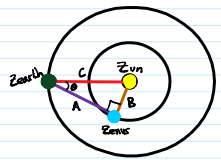
14. $\tan\left(\frac{\theta_d}{2}\right) = \frac{r_{\text{Zearth}}}{d_{\text{Zun}}} \Rightarrow \theta_d = 2 \tan^{-1}\left(\frac{r_{\text{Zearth}}}{d_{\text{Zun}}}\right)$
 $1/500 \text{ radians or } 6.8755 \text{ arcminute}$
 $\text{Yes eye can resolve this.}$

15. $P_E = 1000 \text{ zours} \quad P_{V,\text{syn}} = 546.92 \text{ zours}$
 $P_{\text{Zenus}} = \left(\frac{1}{P_E} + \frac{1}{P_{V,\text{syn}}}\right)^{-1} = \left(\frac{1}{1000} + \frac{1}{546.92}\right)^{-1} = 353.55 \text{ zours}$

from (5) : $1 \text{ sidereal zay} = 10 \text{ zours}$
 Given : $1 \text{ year} = 1000 \text{ zours}$
 $\frac{353.55 \text{ zours}}{10 \text{ zours/sidereal zay}} = 35.355 \text{ sidereal zay}$

So, $P_{\text{Zenus}} = 353.55 \text{ zours} = 35.355 \text{ sidereal zay}$
 $= 0.35355 \text{ year}$

16. See figure 2.12 in book.

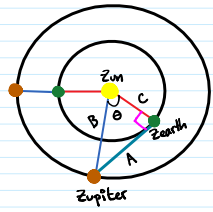


$C = 1 \text{ ZAU}$
 $B = C \sin \theta$
 $d_{\text{Zenus-Zun}} = (1 \text{ ZAU}) \sin 30^\circ$
 $= 0.50000 \text{ ZAU}$
 $= 500,000 \text{ kilometers}$

Given: Zenus never gets further than 30° from the Zun, as seen by observer on Zearth

17. $P_E = 1000 \text{ zours} \quad P_{J,\text{syn}} = 1032.655 \text{ zours}$
 $P_{\text{Zupiter}} = \left(\frac{1}{P_E} - \frac{1}{P_{J,\text{syn}}}\right)^{-1} = \left(\frac{1}{1000} - \frac{1}{1032.655}\right)^{-1} = 31623.2 \text{ zours}$
 $= 3162.32 \text{ sidereal zays}$
 $= 31.6232 \text{ years}$

18. See Figure 2.13 in book.



In the time τ between opposition and eastern quadrature, Jupiter sweeps out angle $\omega_{Zup} \tau$ and Zearth sweeps out angle $\omega_{Ze} \tau$
 $\omega_{Ze} \tau - \omega_{Zup} \tau = \theta$

Look at $\triangle ABC$,
 $\cos \theta = C/B$
 where $C = d_{\text{Zun}} = 1 \text{ ZAU.}$
 $B = d_{\text{Zupiter-Zun}} = ?$

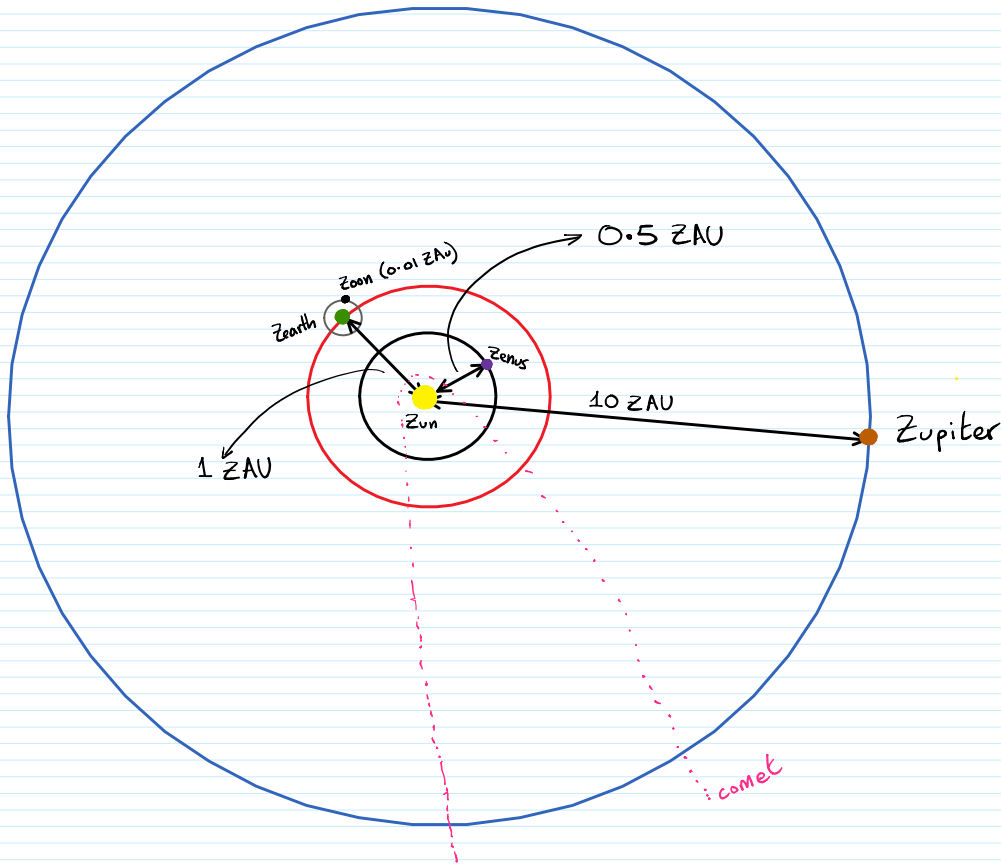
$\omega = 2\pi/P$
 $\omega = \frac{2\pi}{P}$
 where P is period.

Now, given that $\tau = 24.7011 \text{ zaus} = 241.7011 \text{ zours}$

$$\begin{aligned} \text{So, } \omega_{ze}\tau - \omega_{zup}\tau &= \tau (\omega_{ze} - \omega_{zup}) \\ &= (241.7011 \text{ zours})(2\pi) \left(\frac{1}{P_E} - \frac{1}{P_{Zup}} \right) \\ &= (241.7011 \text{ zours})(2\pi) \left(\frac{1}{1000} - \frac{1}{31623.2} \right) (\text{zours})^{-1} \\ &= 1.4706 \text{ rad or } 84.261^\circ \end{aligned}$$

$$\begin{aligned} d_{\text{jupiter-zun}} &= \frac{1 \text{ ZAU}}{\cos \theta} = \frac{1 \text{ ZAU}}{0.1} = \boxed{10.000 \text{ ZAU}} \\ &= \boxed{1.00 \times 10^7 \text{ kilometers}} \end{aligned}$$

19.



20.

Earth

$$\begin{aligned} P^2 &= (1 \text{ year})^2 \\ a^3 &= (1 \text{ ZAU})^3 \end{aligned}$$

$$\begin{aligned} P^2 &= Ka^3 \\ \Rightarrow K &= 1 \text{ year}^2 \text{ ZAU}^{-3} \end{aligned}$$

Venus

$$\begin{aligned} P^2 &= (0.35355 \text{ year})^2 = 0.125 \text{ year}^2 \\ a^3 &= (0.5 \text{ ZAU})^3 = 0.125 \text{ ZAU}^3 \end{aligned}$$

$$\begin{aligned} P^2 &= Ka^3 \\ \Rightarrow K &= 1 \text{ year}^2 \text{ ZAU}^{-3} \end{aligned}$$

Jupiter

$$\begin{aligned} P^2 &= (31.623 \text{ year})^2 = 1000 \text{ year}^2 \\ a^3 &= (10 \text{ ZAU})^3 = 1000 \text{ ZAU}^3 \end{aligned}$$

$$\begin{aligned} P^2 &= Ka^3 \\ \Rightarrow K &= 1 \text{ year}^2 \text{ ZAU}^{-3} \end{aligned}$$

Yes Kepler's Third Law holds.

21.

$$K = 1 \text{ year}^2 \text{ ZAU}^{-3}$$

$$1000 \text{ zours} = 1 \text{ year}$$

10 zour = 1 sidereal zay

⇒ 100 sidereal zays in 1 zour.

$$K = (100 \text{ sidereal zay})^2 \text{ZAU}^{-3} = 1 \times 10^4 \text{zay}^2 \text{ZAU}^{-3}$$

$$K = (1000 \text{ zour})^2 (10^6)^{-3} = \frac{(10^6)(10)^{-18} \text{zour}^2 \text{zilometer}^{-3}}{10^{-12} \text{zour}^2 \text{zilometer}^{-3}}$$

22. $e = 0.999$ $r_p = 0.1 \text{ZAU}$

See book pg 69.

$$r_p = a(1-e) \Rightarrow a = \frac{r_p}{1-e} = \frac{0.1 \text{ZAU}}{1-0.999} = \frac{0.1}{0.001} = 100.0 \text{ZAU}$$

23. Kepler III

$$P^2 = K a^3 = 1 \text{Zear}^2 \text{ZAU}^{-3} (100)^3 \text{ZAU}^3$$

$$\Rightarrow P^2 = 10^6 \text{Zear}^2$$

$$P = 10^3 \text{Zear}$$